Unit **7**

Two-Dimensional Shapes and Perimeter

Essential Questions

- How can a shape have more than 1 name?

- What does perimeter tell you about a shape?

- How do a shape's attributes relate to its perimeter and area?

✦ **Unit Story:**
Through Piho's Eyes

You can read the Unit Story with your student by visiting the Unit Story page on the Caregiver Hub.

🔍 Unit Investigation

Lesson 1 is the Unit Investigation. Students describe and sort two-dimensional shapes, or flat shapes, based on their attributes to build curiosity and apply their own knowledge in a variety of ways. Use the **Caregiver Connection** to help students continue to explore the math they will see in the unit.

Caregiver Connection

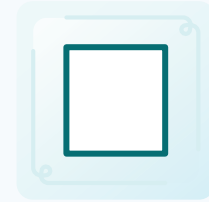Students may enjoy sorting flat objects into categories at home, such as envelopes, paper plates, coasters, etc.

You can ask:

- "How did you decide to categorize these shapes together?"
- "What attributes (or characteristics) do they have in common?"

Different shapes can share some of the same attributes. Using precise language can help you describe the defining attributes of shapes.
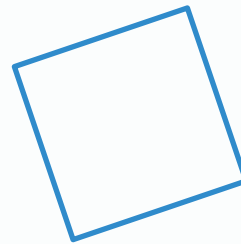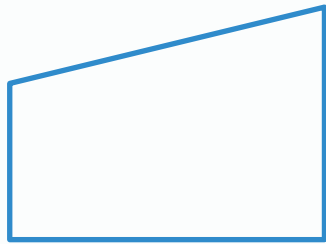
more than 3 sides

some square corners

Try This

1 Here are 2 quadrilaterals.

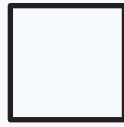Select *all* the attributes that the quadrilaterals share.

(A) 4 square corners

(B) 4 sides

(C) 3 square corners

(D) 4 corners

(E) 2 opposite side lengths that are the same length.

Rectangles, squares, and **rhombuses** are all quadrilaterals with shared attributes and defining attributes that make them unique.
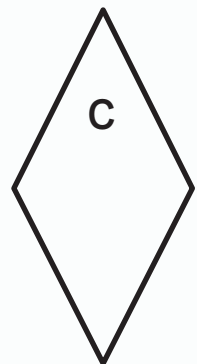
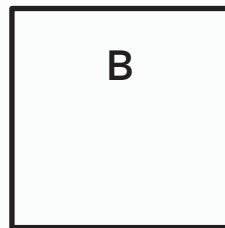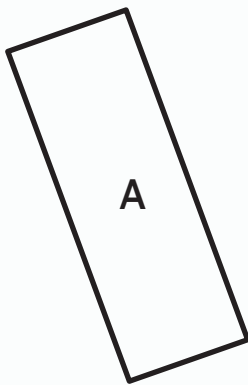- 4 straight sides
- 4 square corners

- 4 straight sides
- 4 square corners
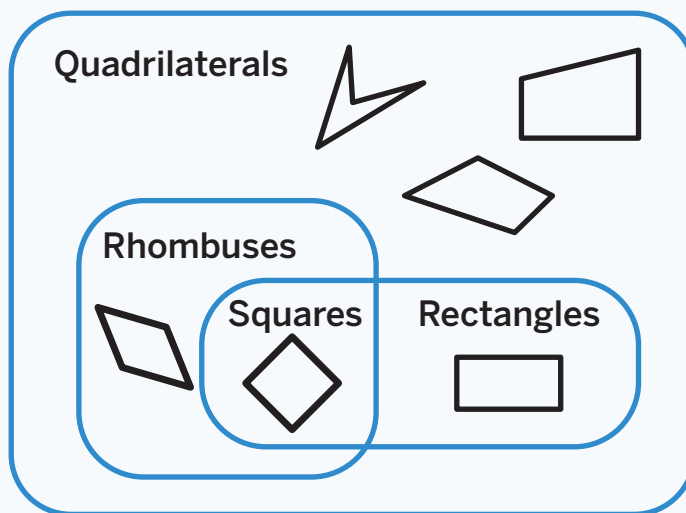- All sides are the same length

- 4 straight sides
- All sides are the same length

Try This

1 Here are Quadrilaterals A–E. Circle *all* the rectangles. Draw an X on *all* the squares. Draw a star on *all* the rhombuses.

A

B

C

D

E

Shapes can belong in different categories because of their shared attributes. The defining attributes of shapes can be helpful in creating examples and non-examples of shapes and in calling them by their most precise name.

Try This

1 Why can some quadrilaterals be called by more than 1 name?
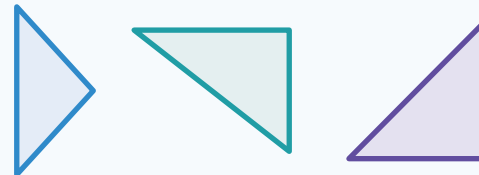
_____

_____

_____

Shapes in the same category can look different and have different attributes.

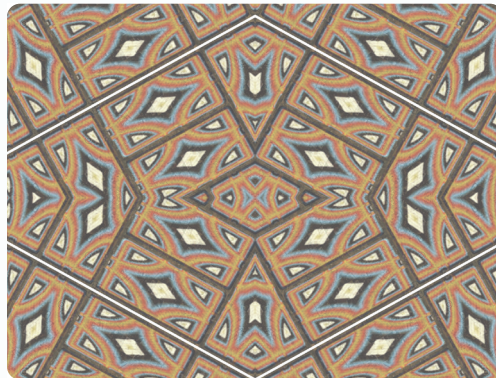**Triangles with
3 equal side lengths**

**Triangles with
1 square corner**

Try This

Use the image for Problems 1 and 2.

"African Bricks In Kaleidoscope" by Piotr Siedlecki via
PublicDomainPictures.net. CCO 1.0.

1 Circle 1 rhombus in the pattern.

2 Draw a box around 1 quadrilateral in the pattern that is *not* a rhombus. Explain how you know it is not a rhombus.

_____

_____

_____

In this sub-unit . . .

- We described, compared, and categorized shapes based on their shared and defining attributes.
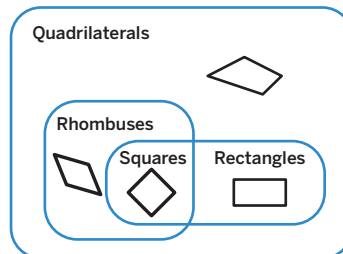
Shapes with square corners and more than 3 sides

🔥 *Math tip:* Shapes in different categories can share attributes. When describing a specific shape, it is helpful to use a shape's defining attributes.

- We defined rectangles, squares, and **rhombuses** and drew examples and non-examples of these shapes.

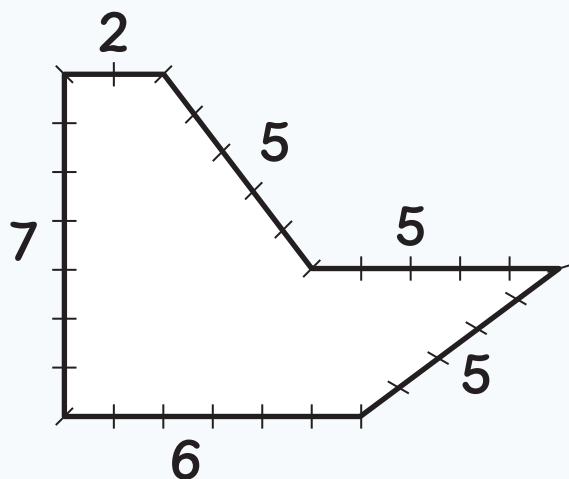| Rectangle	Square	Rhombus
• quadrilateral	• quadrilateral	• quadrilateral
• 4 square corners	• 4 square corners	• 4 equal-length sides
• 2 pairs of opposite sides are equal length.	• 4 equal-length sides	

- We categorized quadrilaterals based on their attributes.

🔥 *Math tip:* Shapes can belong in different categories because of their shared attributes. When describing a specific shape, it is helpful to use a shape's most precise name.

Perimeter is the total length of the boundary of a two-dimensional shape. You can measure perimeter by counting or calculating the total length of all the sides of a shape.
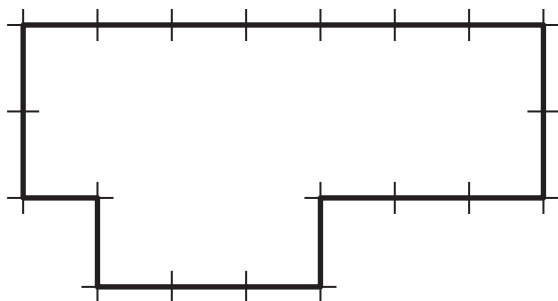

5 + 5 + 5 + 2 + 7 + 6 = 30, so 30 units

Try This

Determine the perimeter of the shape. The distance between 2 tick marks is 1 unit.

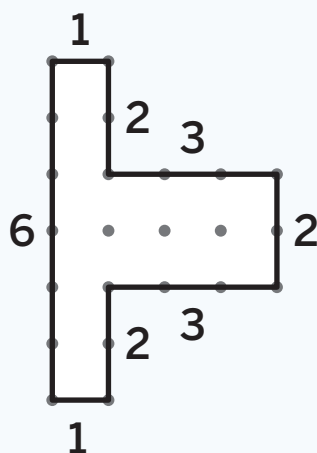ℹ **Show or explain your thinking.**

1

answer: _____
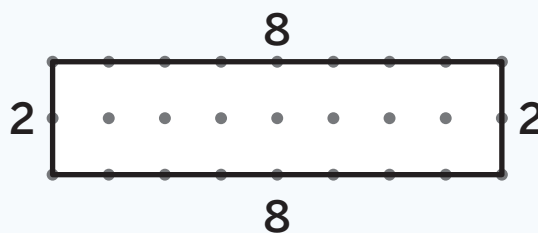
2 shapes that look different can have the same perimeter if the total length of their sides is the same.

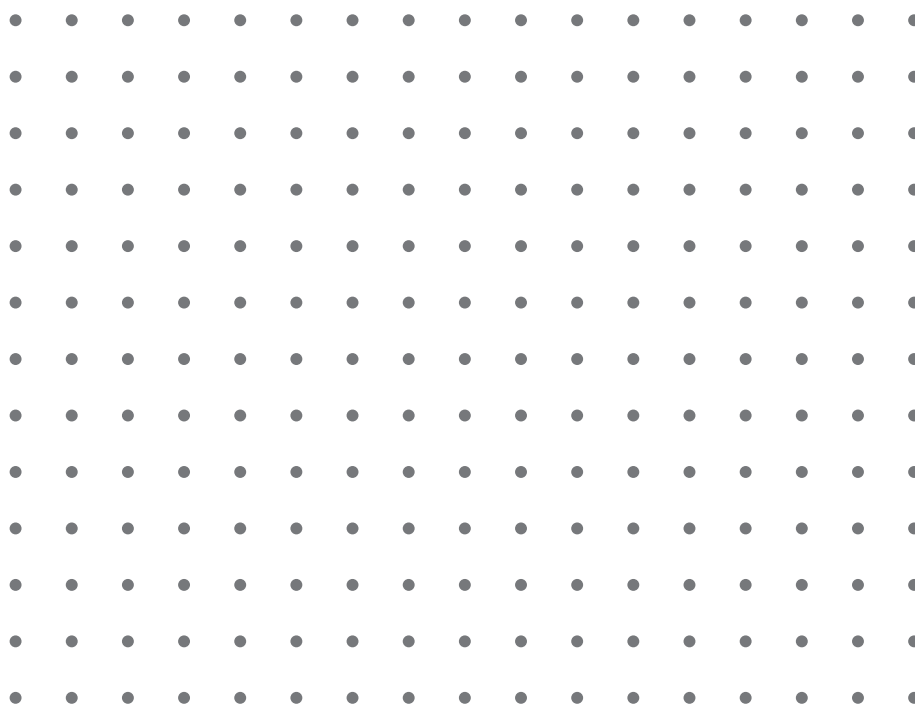$$1 + 1 + 2 + 2 + 2 + 3 + 3 + 6 = 20 \text{ units}$$

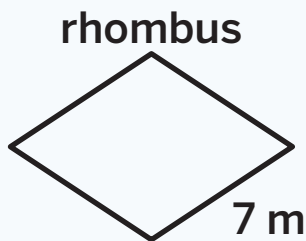$$8 + 8 + 2 + 2 = 20 \text{ units}$$

Try This

1 Draw 2 different shapes with a perimeter of 18 units.

⌵ Draw

You can use what you know about a shape's attributes to determine unknown side lengths. You can use multiplication to calculate the perimeter by grouping sides with the same length.

rhombus

7 m

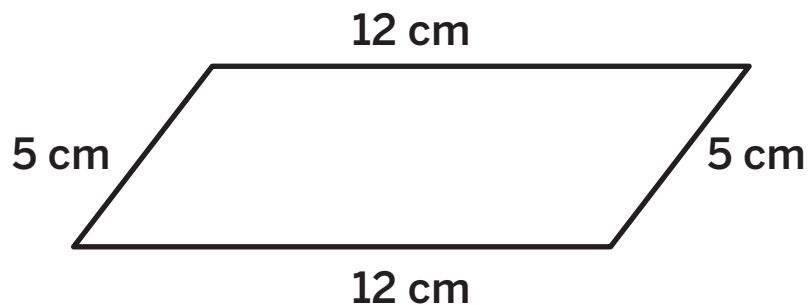A rhombus has 4 equal sides. So, each side is 7 meters long.

$4 \times 7 = 28$
The perimeter is 28 meters.

Try This

Determine the perimeter of the shape.
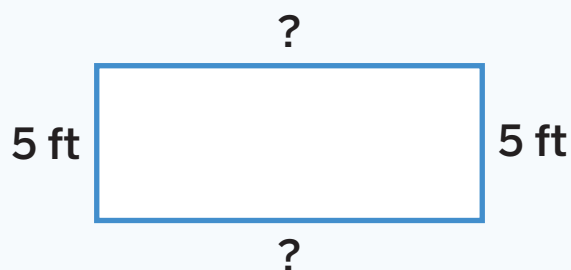
ⓘ **Show your thinking.**

1

12 cm

5 cm   5 cm

12 cm

answer: _____

You can determine a shape's unknown side lengths if you know the perimeter, some of the side lengths, and the shape's defining attributes.

The perimeter of the rectangle is 24 feet.

$$2 \times 5 = 10$$
$$24 - 10 = 14$$
$$2 \times \; ? = 14$$
$$? = 7$$

Try This

1 Priya has a square flower garden in her yard. The border around the garden is 32 feet long. How long is each side of Priya's flower garden?
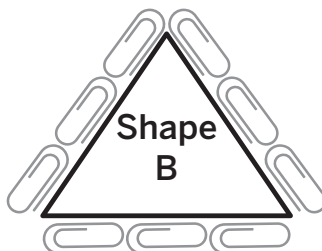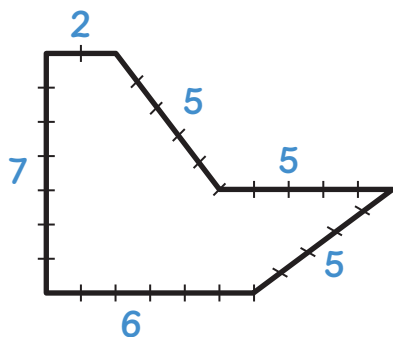
ⓘ Show or explain your thinking.

answer: _____

Sub-Unit 2 | Summary

In this sub-unit . . .

- We measured the **perimeter** of different shapes using paper clips.

Shape B

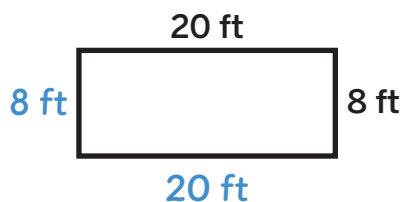- We determined the perimeter of shapes when given all the side lengths.

2
5
7
5
5
6

5 + 5 + 5 + 6 + 7 + 2 = 30
The perimeter is 30 units.

🔥 *Math tip:* Shapes that look different can have the same perimeter.

- We determined the perimeter of familiar shapes when given some of the side lengths.

20 ft
8 ft   8 ft
20 ft

This is a rectangle, so the sides across from one another are equal.
8 + 8 + 20 + 20
16 + 40
56
The perimeter is 56 feet.

🔥 *Math tip:* You can use what you know about the attributes of a shape to determine the unknown side lengths and calculate the perimeter.

Perimeter and area are measurable attributes of rectangles.
Perimeter is the total length of the boundary of a rectangle.
Area is the number of square units that cover a rectangle.

A shop owner is hanging lights around the front window of her store.

The total amount
of glass covering
the window represents
the **area** of the window.

$5 × 5 = 25$, so
25 square feet

5 ft

5 ft

laura.h/Shutterstock.com

The total length of hanging
lights represents the
perimeter of the window.

$5 + 5 + 5 + 5 = 20$, so
20 feet

Try This

1 Select *all* the expressions that could represent the area of a
garden that measures 36 square feet.

(A) $9 × 4$

(B) $6 + 6 + 6 + 6$

(C) $(9 × 2) + (4 × 2)$

(D) $6 × 6$

(E) $6 × 9$

(F) $2 × 18$

2 A bedroom has a length of 14 feet and a width of 12 feet.
Select *all* the expressions that could represent the perimeter
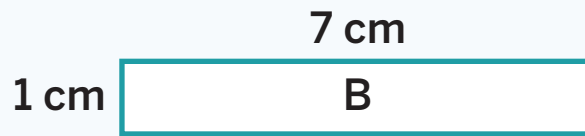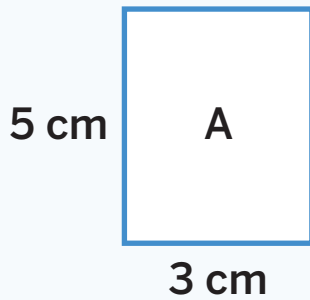of the bedroom.

(A) $12 × 14$

(B) $12 + 12 + 14 + 14$

(C) $(12 × 2) + (14 × 2)$

(D) $(2 × 7) + (2 × 6)$

(E) $12 + 14$

(F) $(2 × 14) + (2 × 12)$

laura.h/Shutterstock.com

Rectangles with the same perimeter can have different areas.

5 cm | A | **3 cm**

7 cm
1 cm | B

Rectangle A and Rectangle B perimeter: 16 cm
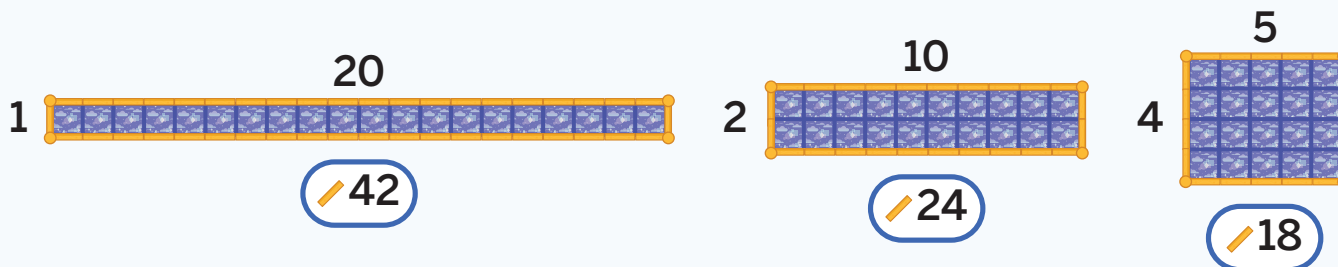Rectangle A area: 15 sq. cm
Rectangle B area: 7 sq. cm

Try This

1 Draw 2 rectangles with a perimeter of 24 units but different areas.

Draw

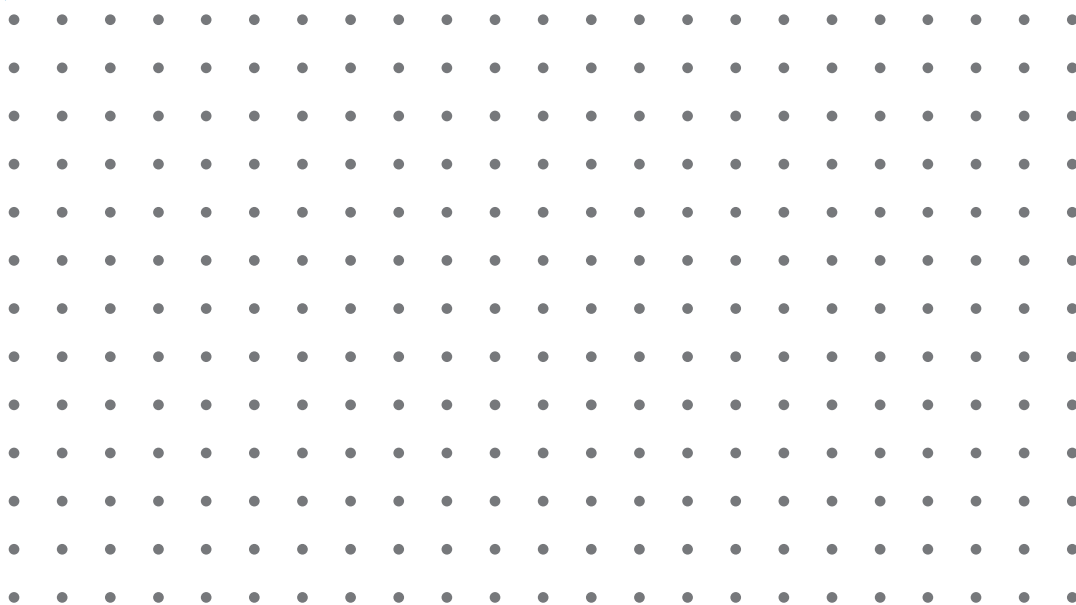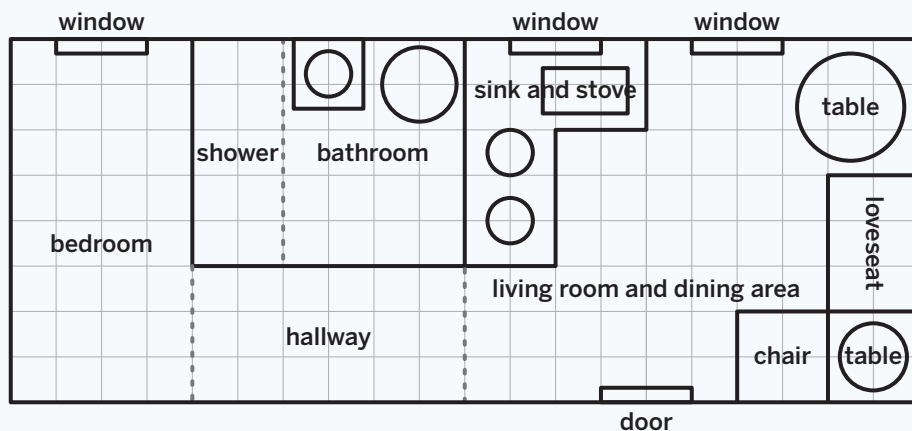Rectangles with the same area can have different perimeters.

Area of 20

20
1

42

10
2

24

5
4

18

Try This

1 Draw 2 rectangles that have an area of 36 square units and different perimeters.
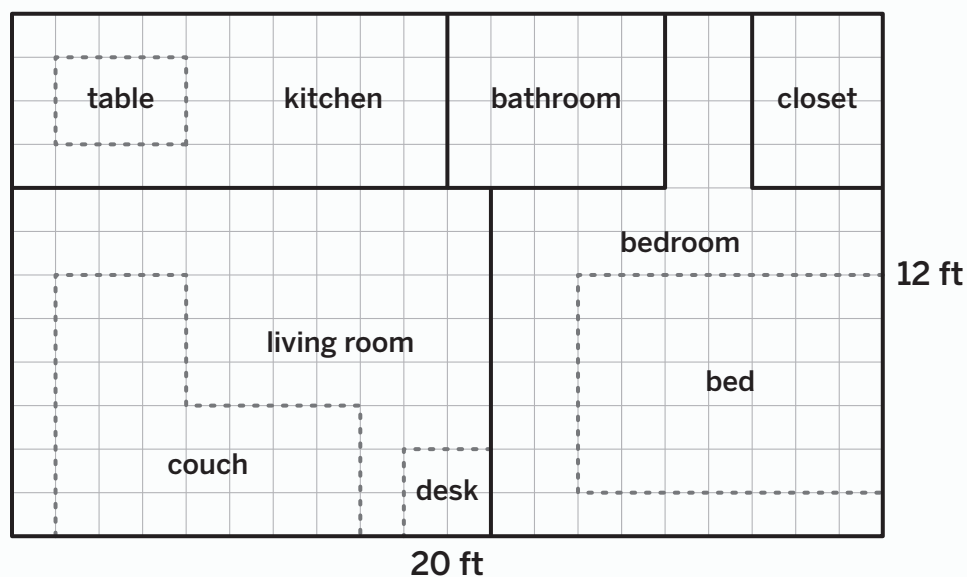
Draw

Summary | Lesson 13

Perimeter and area are important measurements to consider when designing spaces.

Try This

Use the design of the tiny house for Problem 1.

1 Record the perimeter and area of each feature.

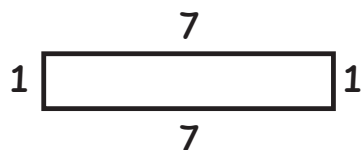| Feature	Perimeter	Area
table		
kitchen		
couch		

In this sub-unit . . .

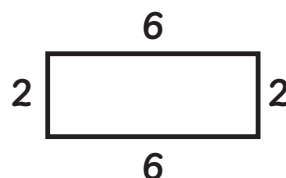- We represented and solved story problems about area and perimeter.

  A sculpture sat on a rectangular stone surrounded by a rope barrier. 2 sides of the stone measured 20 meters and 8 meters.

  20 m
  8 m

  What is the total length of the rope barrier?

  $(20 × 2) + (8 × 2)$
  $40 + 16 = 56$
  The perimeter is 56 meters.

  What is the area of the rectangular stone?

  $8 × 20$
  $8 × 2 × 10$
  $16 × 10 = 160$
  The area is 160 square meters.

- We created rectangles with the same perimeter but different areas.

  7
  1   1
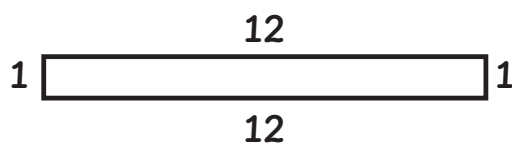 7
  area: 7 square units
  perimeter: 16 units

  6
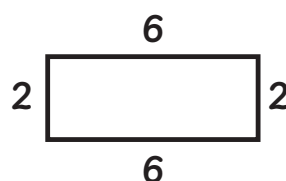 2   2
  6
  area: 12 square units
  perimeter: 16 units

- We created rectangles with the same area but different perimeters.

  12
  1   1
  12
  area: 12 square units
  perimeter: 26 units

  6
  2   2
  6
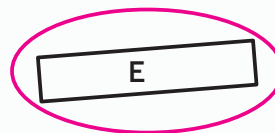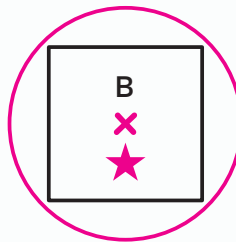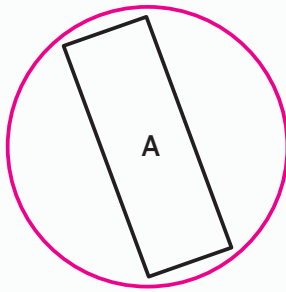 area: 12 square units
  perimeter: 16 units

  🔥 **Math tip:** You can use known multiplication facts to create rectangles with the same area but different perimeters.

Try This | Answer Key
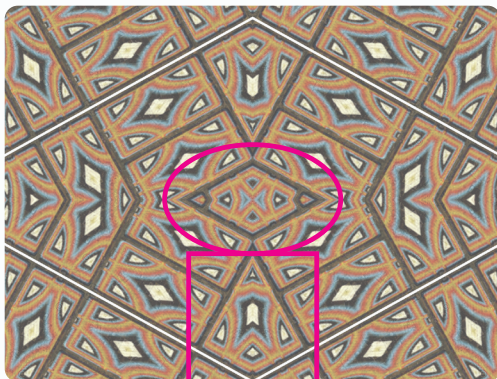
Lesson 2

1 B, D

Lesson 3

1

Lesson 4

1 Sample response:
Some quadrilaterals have equal sides or all square corners, so they can also be called a more specific name.
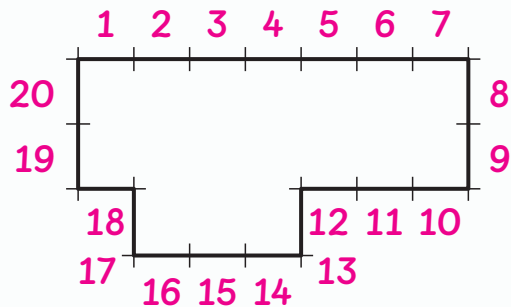
Lesson 5

Sample responses:

1–2

The quadrilateral right below the rhombus is not a rhombus because all 4 sides are not the same length.

Lesson 6

1 Sample work:

answer: 20 units
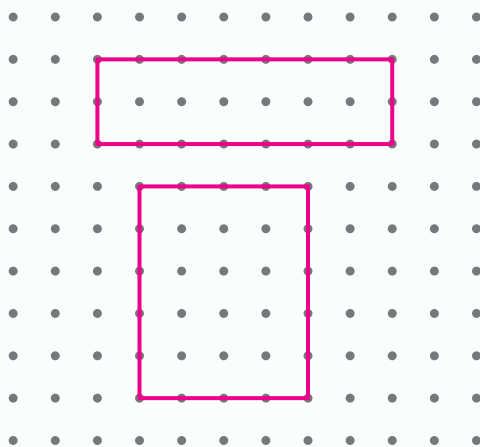
Lesson 7

1 Sample response:

Lesson 8

1 Sample work:

$$5 \times 2 + 12 \times 2$$
$$10 + 24 = 34$$

answer: 34 centimeters

Lesson 9

1 Sample work:

The flower garden is a square, so all 4 sides are equal.
Each side is 8 feet long because $4 \times 8 = 32$.
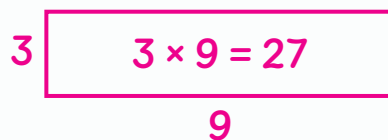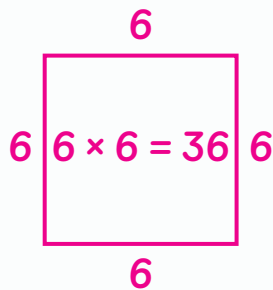
answer: 8 feet

Try This | Answer Key
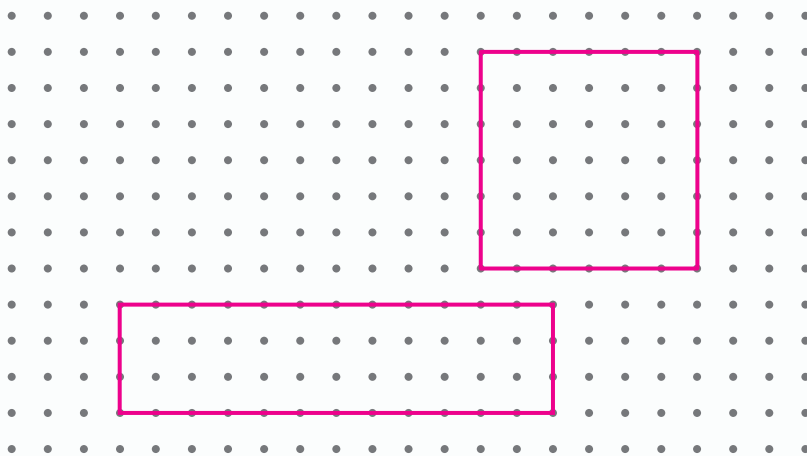
Lesson 10

1 A, D, F   **2** B, C, F

Lesson 11

1 Sample response:

Lesson 12

1 Sample response:

Lesson 13

1

Feature	Perimeter	Area
table	10 ft	6 sq. ft
kitchen	28 ft	40 sq. ft
couch	26 ft	30 sq. ft